

# BEHAVIOR OF A MOBILE COMMUNICATION LINK IN AN URBAN ENVIRONMENT: A TEST CASE

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**Abstract** – This paper presents practical and theoretical results. The practical were obtained during one test-drive made at Porto downtown (CBD), named Baixa. Practical results are compared with application of theoretical models. The urban parameters was assumed to be position-independent. These results will be of importance for mobile cellular communication systems in macro and microcells scenarios at urban dense areas. Two models to downtown are presented: Regression Line Fit (RLF) and Okumura Baseline Fit (OBF). Generated results confirm the good agreement to the zone under study, due lowest absolute mean errors and standard deviations generated.

## I. Introduction

In the last years we had assisted cellular mobile traffic increasing due to increased solicitation from users. This leads to a saturation of the systems if no ways are taken to deal with it. Consequently we assist to the degradation of the QoS. To maintain normal QoS, the operators are in the necessity to increase their capacity. The increasing of capacity is achieved by two ways [1][2]: i) increasing the service area, and ii) increasing the capacity, maintaining fixed the service area. For both types of expansion considered, the propagation characteristics are aspects that more and more demand specialised studies. The mobility of the users difficult the channel characterisation due to resultant dynamic behaviour. For these reasons, the theme propagation (of signs) will be more and more pertinent. Phenomenon, whose analysis there is still little time had a value purely academic, they became in the concern of operators.

In this paper we present the results from applying Linear Regression Fit (RLF) and Okumura Baseline Fit (OBF) models; the results confrontation with measurements and final conclusions.

## II. Theory

The most suitable models are based on path loss

$$PL(d) = A + B \log_{10}(d) \quad (\text{dB}) \quad (1)$$

and power of the signal received on mobile station

$$p_R(d) = \alpha p_T d^{-n} f_a(\phi, \theta) g_{max} \quad (\text{W}) \quad (2)$$

where

- $d$ : distance from transmitting antenna (m);
- $p_R$ : power of the signal received (W);
- $p_T$ : power injected on the transmitter antenna feed system (W);
- $\alpha$ : loss in feed system;
- $n$ : propagation factor, with negative value;
- $f_a(\phi, \theta)$ : normalised gain of transmitter antenna, in the direction of azimuth  $\phi$  and elevation  $\theta$ ;
- $g_{max}$ : gain of transmitter antenna in maximum gain direction.

The ratio  $p_R/p_T$  in terms of equation (2) in dB is

$$PL(d) = 10 \log_{10}[\alpha p_T f_a(\phi, \theta) g_{max}] - 10n \log_{10}(d) \quad (3)$$

The constant values  $A$  and  $B$  in equation (1) are

$$A = 10 \log_{10}[\alpha p_T f_a(\phi, \theta) g_{max}] \quad (4)$$

and

$$B = -10n \Rightarrow n = -B/10 \quad (5)$$

Path loss given by equation (1) [2] due to Log-Normal slow fading is the median value not exceeding 50% of time or 50% of locations in the place under study. We can account with an additional term  $X_0$  due to Rayleigh fast-fading. That term is the standard deviation with typical value around  $\pm 4$ dB [3].

A useful relation is the behaviour with frequency, given by  $C \log_{10}(f_{MHz})$ , where  $f_{MHz}$  is the frequency in MHz. Most prediction tools used by GSM-DCS operators in Portugal (like VODAFONE) use one additional correction factor  $K_{clutter}$  related to the clutter of the terrain.

The final expression to path loss is

$$PL(d) = A + B \log_{10}(d) + C \log_{10}(f_{MHz}) + X_0 \quad (\text{dB}) \quad (6)$$

$K_{clutter}$  is included in  $A$  parameter like following

$$A = 10 \log_{10}[\alpha p_T f_a(\phi, \theta) g_{max}] + K_{clutter} \quad (7)$$

Having a general form to our propagation model in terms of path loss, we now list the three models applied in our study and propagation characterisation of Baixa.

a) Linear Regression Fit (RLF)  
 $H(d) = A_{reg} + B_{reg} \log_{10}(d)$  [2];

b) Okumura Baseline Fit (OBF) model [4].

c) In linear regression (in a logarithmic fashion) we got the parameters  $A_{reg}$  and  $B_{reg}$ . These parameters define straight lines  $PL(d) = A_{reg} + B_{reg} \log_{10}(d)$  that reasonably describe the propagation behaviour of the zone under study. These models are very attractive due to easiest to obtain, compute and integration in prevision software packages.

d) Okumura Baseline model was obtained from curves in Figure 41c) and Figure 41d) to 900 MHz and 1500 MHz, respectively in [5]. Value of 1500 MHz is the most close of the 1800 MHz found on Figure 41. The goal was to get the general expression

$$PL = A(f_{MHz}, h_{re}) + B(f_{MHz}, h_{re}) \log_{10}(d_{km}) + \Delta G(h_{re}) \quad (8)$$

where  $\Delta G(h_{re})$  is the gain due to effective height of receiver antenna relatively to reference  $h_{re} = 1.5$  m

$$\Delta G(h_{re}) = 20 \log_{10}[h_{re}/1.5] \quad (9)$$

Equation (8) was interpolated with frequency  $f_{MHz}$  and antenna height  $h_{re}$  from the following expressions

$$PL_{900 \text{ MHz}} = A_1(h_{re}) + B_1(h_{re}) \log_{10}(d_{km}) \quad (10)$$

$$PL_{1500 \text{ MHz}} = A_2(h_{re}) + B_2(h_{re}) \log_{10}(d_{km}) \quad (11)$$

The functions  $A_1$ ,  $A_2$ ,  $B_1$  and  $B_2$  are obtained from Figure 41 in [5] taking in account that in Porto the heights of transmitting antennas not exceed 70 m and



b) FS H271 at (41°09'26"N,08°06'32"W), with three symmetric sectors, in our study is "Faria Guimarães";

c) FS H2026 at (41°08'45"N,08°36'26"W), with three sector symmetric sectors, in our study is "Batalha".

Test-drive path at Baixa followed started at point (41°09'40"N,08°36'36"W) and finished at point with coordinates (41°08'43"N,08°36'39"W).

Straight logarithmic lines shown in Table 3 were obtained from regression of power of received signal at mobile station during test-drive. Path loss formulas on Table 3 and on Figures 4 and 5 that show for each model the power prevision of the signal received, were obtained for each position  $i$  of MS on the test-drive [5].

$$PL_{observed}(d_i) = P_{observed} - EIRP_{jk} - F_a(\theta_{jk}, \varphi_{jk}) \quad (16)$$

$$P_{predicted}(d_i) = EIRP_{jk} + F_a(\theta_{jk}, \varphi_{jk}) + PL_{predicted}(d_i) \quad (17)$$

where

- $PL_{observed}(d_i)$ : real path loss (dB);
- $PL_{predicted}(d_i)$ : predicted path loss (dB);
- $d_i$ : distance between antennas with MS at point  $i$  (m);
- $P_{observed}(d_i)$ : power of the received signal (dBm);
- $P_{predicted}(d_i)$ : predicted value for power of the received signal (dBm);
- $EIRP_{jk}$ : power EIRP (dBm) radiated on antenna  $k$  from the FS  $j$ , already includes the value of the directive gain in the direction of maximum gain  $g_{maxk}$ ;
- $F_a(\theta_{jk}, \varphi_{jk})$ : effect of normalised radiation pattern of antenna  $k$  on FS  $j$ ;
- $\theta_{jk}$  and  $\varphi_{jk}$ : vertical and horizontal angles from the antenna  $k$  in FS  $j$  with respect to the antenna axis of the MS.

Table 3. Path loss lines obtained by regression

| Fixed Station           | Logarithmic straight lines (dB)        |
|-------------------------|--|
| Hospital Santa Maria    | $PL(d) = -34.92 - 34.06 \log_{10}(d)$  |
| Faria Guimarães         | $PL(d) = 33.00 - 58.27 \log_{10}(d)$   |
| Batalha                 | $PL(d) = 389.97 - 194.11 \log_{10}(d)$ |
| Combination of three FS | $PL(d) = -33.41 - 29.09 \log_{10}(d)$  |

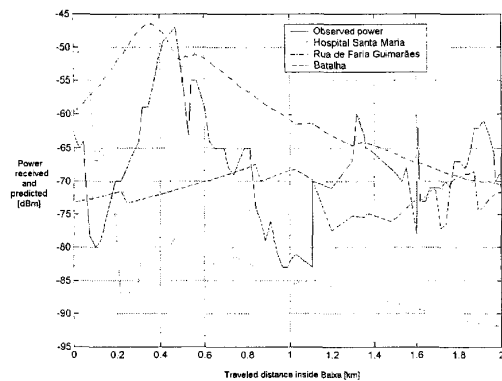


Figure 4. Behaviour of predicted power with RLF model versus observed power (dBm)

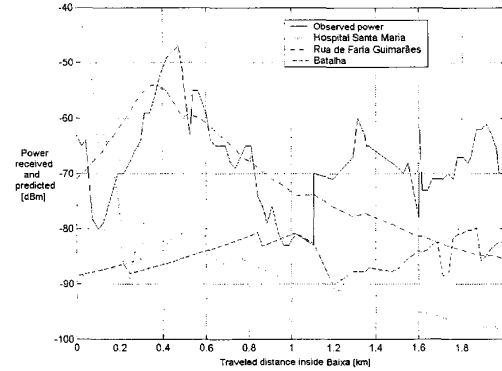


Figure 5. Behaviour of predicted power with OBF model versus observed power (dBm)

In Figures 6 and 7 are illustrated individual and combined prevision at Porto downtown, obtained from selection of maximum value (of three previsions due each FS), to RLF and OBF models, as well as test-drive path inside downtown.

Figure 8 illustrates received and observed power (dBm) inside downtown during test-drive.

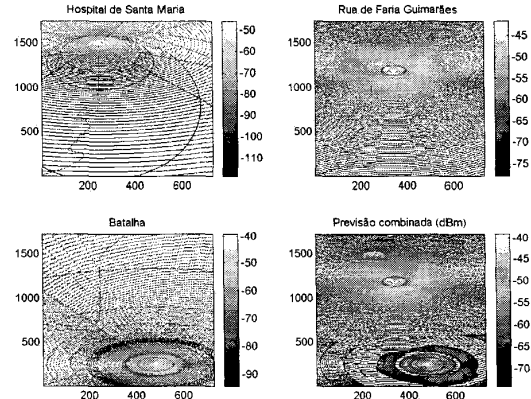


Figure 6. Individual and combined prevision (dBm) with RLF model

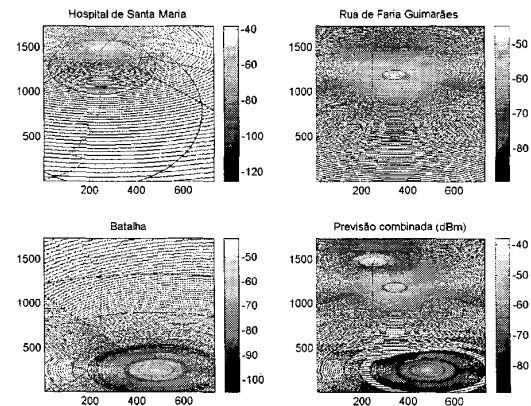


Figure 7. Individual and combined prevision (dBm) with OBF model

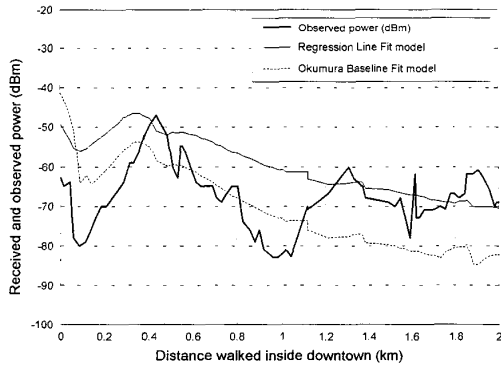


Figure 8. Received and observed power (dBm) inside downtown during test-drive

Table 4 was constructed taking in account that for each position  $i$  of the MS in the test-drive had one absolute error  $\varepsilon_i$  given by

$$\varepsilon_i = |P_{\text{predicted}}(i) - P_{\text{observed}}(i)| \quad (\text{dB}) \quad (18)$$

where

$P_{\text{observed}}(i)$ : power of the signal received (dBm);

$P_{\text{predicted}}(i)$ : prevision to the power of the received signal (dBm).

The mean of the absolute error and the standard deviation are, respectively,

$$\bar{\mu} = \frac{\sum_{i=1}^N |\varepsilon_i|}{N} \quad (\text{dB}) \quad (19)$$

and

$$\sigma = \left[ \frac{\sum_{i=1}^N (|\varepsilon_i| - \bar{\mu})^2}{N} \right]^{\frac{1}{2}} \quad (\text{dB}) \quad (20)$$

where  $N$  is the number of total samples acquired during the test-drive.

Table 4. Mean of the absolute error and respective standard deviations

| Fixed Station           | Model | $\bar{\mu}$ (dB) | $\sigma$ (dB) |
|-------------------------|-------|------------------|---------------|
| 2828                    | RLF   | 17.69            | 0.99          |
|                         | OBF   | 21.68            | 1.04          |
| H271                    | RLF   | 10.24            | 0.89          |
|                         | OBF   | 9.44             | 0.75          |
| H2026                   | RLF   | 7.56             | 0.72          |
|                         | OBF   | 16.80            | 1.11          |
| Combination of three FS | RLF   | 0.16             | 1.56          |
|                         | OBF   | 0.15             | 1.42          |

## IV. Conclusions

The first three straight in RLF model are in accordance with local propagation conditions near its FS. However the fourth straight line due to combination of all FS is more appropriated to characterization of all downtown due to low absolute error of 0.16 dBm with a standard deviation of 1.56 dB. The propagation factor  $n=2.91$  is well suited.

Like in RLF model, OBF model is very suited due to low absolute error of 0.15 dB and a low standard deviations of 1.42 dB.

To conclude, RLF and OBF models agree very well with real propagation conditions in Porto, as had been confirmed with prediction tools of VODAFONE applying our parameters, due to be obtained with terrain characteristics.

## V. References

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